



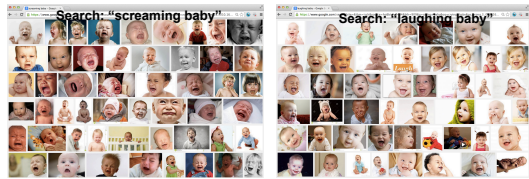
Single view 3D face reconstruction
 Facial expression reconstruction and modification
 Using only Internet photos (no 3d priors)

Internet-based Morphable Model

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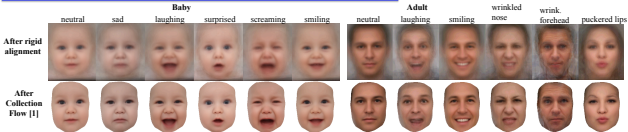
ICCV 2013
 Sydney

Internet face photos



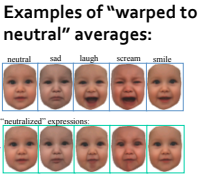
Each set of photos is called a cluster

Within cluster dense correspondence

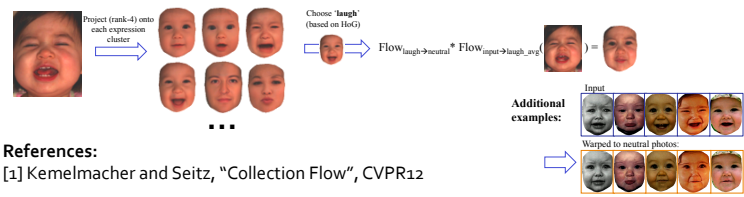


Averages over ~300 photos of different people per cluster. Flow aligned photos computed using collection flow [1]. Note how sharp the flow-aligned averages are.

Across cluster dense correspondence



Given a new input image...



References:
 [1] Kemelmacher and Seitz, "Collection Flow", CVPR12

Single View 3D Reconstruction Algorithm

Warped to neutral images (combined from all clusters)

$$M = \begin{bmatrix} \dots \\ \dots \\ \dots \\ \dots \\ \dots \end{bmatrix} = \text{SVD} \begin{bmatrix} P_f \times 4k & B_{4k \times p} \end{bmatrix}$$

$f \times p$ (images \times pixels)
 P_f Deformation + lighting coeff
 $B_{4k \times p}$ Shape basis

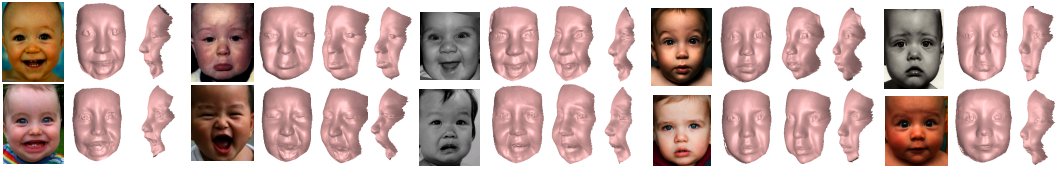
Factor P to get shape/ deformation coeff

$$M(i, :) = P(i, :)_{1 \times 4k} B_{4k \times p} = L_{1 \times 4} \sum_{j=1}^k \alpha_j B_j$$

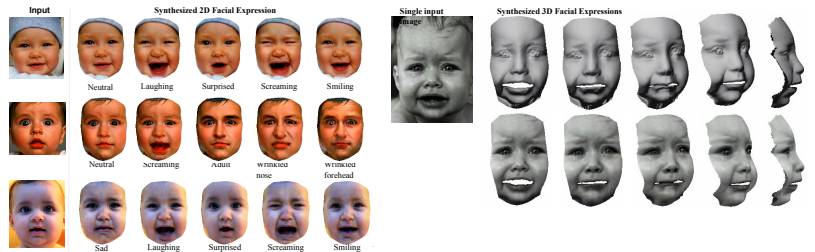
Data: M is $f \times p$ matrix of images;
 $M = UDV^T$;
 denote $P = U\sqrt{D}$ and $B = \sqrt{D}V^T$;
 Result: P and B for which the rank-1 condition holds
 while until convergence do
 for every image i do
 $P(i, :)$ is $1 \times 4K$;
 reshape $P(i, :)$ to $4 \times K$ matrix P' ;
 run SVD on $P' = u_d v^T$;
 set $\alpha = u(:, 1) / d(1, 1)$;
 set $l = v(:, 1)$;
 reshape αl^T to $1 \times 4K$ vector;
 $P(i, :) = [\alpha l^T]_{1 \times 4K}$;
 end
 Estimate B s.t. $\min \|M - PB\|^2$;
 end

Algorithm 1: Modify P and B to hold rank-1 condition

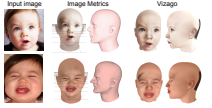
Unwrap neutralized shape to original expression



Changing expression in shape, texture, and pose



Compare to classical morphable model



Acknowledgments: Many thanks to Supasorn Suwajanakorn for creating the videos